TRENDS IN DORIS DATA FORMATS

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The basic data

- at each frequency
 - cycle count (= phase difference) N, N'
 - times of beginning and end of count in on-board time t_1, t'_1, t_2, t'_2
- at one frequency
 - the on-board time of reception of the synchronization signal
 - equivalent to a pseudo-range measurement (as the transmission time is known in beacon time)
 - useable for master beacons (time synchronized)

The "difficulties" with DORIS

Measurements at the two frequencies are not simultaneous

- but almost simultaneous (offset less than 50 µs)
 - variable with "old" receivers (Spot 2-3-4, Topex, Envisat)
 - constant (better) with "new" receivers (Jason, Spot 5)
- Observations during passes are not always continuous
 - situation has improved with "new" receivers
- Time synchronization of the system is limited
 - only two beacons are time synchronized
 - only the "long term" behavior of the on-board clock is accessible
 - measurement times are "loosely synchronized" to TAI
 - clock offset can be large in initial processing stages
 - pseudo-range measurements are not simultaneous with phase measurements
 - "completely independent" measurement types

The 1.0 data formatting strategy

Strategy

• use pseudo-range and orbit to compute a global timing polynomial for the entire arc

$$T = t + a_0 + a_1(t - t_0) + a_2(t - t_0)^2 + a_3(t - t_0)^3$$

- adjust a polynomial to over a month of frequency offsets adjusted over master beacons to obtain the on-board global frequency drift model $\Rightarrow f_{local}$
- adjust beacon frequencies for every pass as part of an orbit determination process
- convert 2 GHz data into radial velocity and TAI times

$$\begin{bmatrix} t_1 \\ t_2 \\ N \end{bmatrix} \Leftrightarrow \begin{vmatrix} T_1 = P(t_1) \\ \Delta T = T_2 - T_1 \\ V = \frac{c}{f_{beacon} \Delta T} \left[(f_{beacon} - f_{local}) \Delta T - N \right]$$

• combine 2 GHz and 400 MHz data to compute the ionosphere contribution at 2 GHz

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The 2.0 data formatting strategy

Strategy

• use pseudo-range and orbit to compute a global timing polynomial for the entire arc

$$T = t + a_0 + a_1(t - t_0) + a_2(t - t_0)^2$$

• convert 2 GHz data into radial velocity and TAI times

$$\begin{bmatrix} t_1 \\ t_2 \\ N \end{bmatrix} \Leftrightarrow \begin{vmatrix} T_1 = P(t_1) \\ \Delta T = [T_2 - T_1]_{0.1\mu s} \\ V = \frac{c}{\bar{f}_{beacon} \Delta T} [(\bar{f}_{beacon} - \bar{f}_{local})(t_2 - t_1) - N] \end{vmatrix}$$

• combine 2 GHz and 400 MHz data to compute the ionosphere contribution at 2 GHz

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Version 2.0 data processing

Basic processing equation

• typical pseudo-range rate processing

$$V = c \left(\frac{\delta f_{local}}{f_{local}} - \frac{\delta f_{beacon}}{f_{beacon}}\right) + c \left(1 + \frac{\delta f_{beacon}}{f_{beacon}}\right) \frac{\tau_2 - \tau_1}{\Delta T}$$

- relative beacon frequency bias in front of Doppler term (discussed in Biarritz)
- depends upon relative on-board frequency bias
 - needs to be determined in a separate process
 - determination through adjustment to offsets over master beacons not necessarily consistent with long term drift given by time-tagging polynomial
- Solution: move the on-board frequency term into the measurement

$$V_{2.1} \equiv V_{2.0} - c \frac{\delta f_{local}}{f_{local}}$$

The 2.1 data formatting strategy

Strategy

• use pseudo-range and orbit to compute a global timing polynomial for the entire arc

$$T = t + a_0 + a_1(t - t_0) + a_2(t - t_0)^2$$

• derive this polynomial to obtain the on-board global frequency drift model

$$f_{local}\approx \bar{f}_{local}\left(1+a_1+2a_2\left(t-t_0\right)\right)$$

• convert 2 GHz data into radial velocity and times consistent with TAI

$$\begin{bmatrix} t_1 \\ t_2 \\ N \end{bmatrix} \Leftrightarrow \begin{vmatrix} T_1 = P(t_1) \\ \Delta T = [T_2 - T_1]_{0.1 \mu s} \end{vmatrix} \quad V = \frac{c}{\bar{f}_{beacon} \Delta T} [(\bar{f}_{beacon} - f_{local})(T_2 - T_1) - N]$$

• combine 2 GHz and 400 MHz data to compute the ionosphere contribution at 2 GHz

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Timing polynomial



The timing polynomial (parabola) is easy to retrieve from the time-tags of data => it is possible to reconstruct on-board time-tags and raw 2 GHz data

Ionosphere correction

Old iono correction was computed from 400 MHz residuals

$$I = \frac{V'}{\alpha} - \frac{c}{\alpha^2} \frac{\eta'_2 - \eta'_1}{\Delta T} \text{ with } \alpha = \frac{f}{f'} \text{ and } \eta = \text{propagation time}$$

 strong dependence upon beacon frequency offset mean that iono corrections for passes unprocessed at CNES are wrong (=> data removed from files)

New iono correction slightly more complex than for most dual frequency systems

$$I = \frac{V - \beta V'}{1 - \alpha^2 \beta} - c \frac{\delta f_{beacon}}{f_{beacon}} \frac{(\eta_2 - \eta_1) - \beta(\eta'_2 - \eta'_1)}{(1 - \alpha^2 \beta) \Delta T} \text{ where } \beta = \frac{\Delta t}{\Delta t'}$$

- takes into account differences in center of phase location and in measurement times at the two frequencies
- almost completely orbit and frequency independent => correction can be computed very early in the processing chain

IDS Analysis Center workshop

Transition to 2.1 data

- Transition from 1.0 to 2.x data also included the introduction of a channel indicator and of nearly all edited data
- Started with Jason and
 - cycle 358 for TOPEX (6 June 2002)
 - arc 418 for SPOT2 (14 Feb. 2002)
 - arc 174 for SPOT4 (22 Feb. 2002)
 - Implementation is not yet fully complete
 - currently on-board frequency is constant per pass (estimated at middle of pass)
 - software modifications have been made to account for drift within pass
 - ready to be implemented (tests cycles checked by P. Willis)
 - still old ionosphere correction (=> fully eliminated passes are not provided)
 - software modifications have been made
 - tests cycles not yet verified by anyone outside CNES

Difference in Doppler data (TOPEX)



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Difference in Doppler data (Jason)



Difference in Doppler data (Jason)



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Difference in ionosphere correction



Difference in ionosphere correction



MOE versus POE data

Export DORIS data can be generated during MOE and POE production

- MOEs are rapid daily orbits computed for all the DORIS satellites within a couple days of data acquisition
- POEs are high precision fully validated orbits computed for 7 to 10 day arcs within a few weeks of data acquisition
- Only POE data are currently made available
 - most significant difference is time-tagging: polynomial model over 4 days for the MOE (MOE = last day of the four) versus full arc polynomial model for the POE
- Tests conducted at CLS show that station positioning gives significantly different results for MOE and POE (about 4 mm RMS difference)
 - test was not actually conducted starting from version 2.1 data
 - an IDS AC campaign is needed to confirm/contradict this result
 - relation between time-tagging and positioning need to be clarified

Transition to MOE data would be the best way to secure data delivery schedule

MOE versus POE time-tags



MOE - POE date difference



MOE - POE Doppler difference



MOE - POE ionosphere correction difference



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Shifted frequency beacons

Some beacons in the network will now have different nominal frequencies

 $\bar{f}_{beacon}^{shifted} = \bar{f}_{beacon} \left(1 + \frac{29}{5 \times 2^{24}} k \right)$ with k integer

- The shifted nominal frequency will be used to convert the data from cycle count to velocity
 - Users do not need the frequency to process data as the modeling equation only involves the relative frequency bias df / f
- The nominal frequency is only required if users want to reconstruct the real absolute bias from the relative bias
 - Does anyone intend to do this ?
 - Should we include the nominal frequency information with the data ? In the site logs ?

Jason, SAA and time determination

The on-board clock frequency varies very fast over the SAA

• the frequency variation rate is different between the SAA and the rest of the world



Jason, SAA and time determination

There are only two master beacons

- each pass over a master beacon formally provides one normal point
 - the timing polynomial is a parabola adjusted globally to all these points which represents the average behavior of the clock
- between points the clock rate varies fast over the SAA and slowly elsewhere
 - however only the integrated behavior is available
- even if Kourou data are not used, Toulouse data only provide an integrated view of the clock behavior
- This average rate is used to correct the Doppler data of all stations
 - it introduces a frequency drift on all stations, not only those over the SAA
- Solutions ?
 - apply no frequency correction to data (equivalent to 2.0 format)
 - OK except if clock modeling approach is used (Gipsy-Oasis for exemple)
 - use more complex on-board clock model (two slopes) ?
 - difficult to know when to change slope !

GPS-like phase data format

Well suited for data from "new" receivers

- possible to only keep 10 s sampled data for clarity
 - keep only "end of count" phase data
- Handling of pseudo-range data
 - asynchronous pseudo-range and phase data
 - split into 2 files ?
 - Proposal = interpolate pseudo-range data to times of phase data using the phase
 - looks acceptable given the low resolution of the pseudo-range
- Handling of 400 MHz data
 - should it be interpolated to 2 GHz data sampling times or left as is ?
 - Interpolation looks safe and would simplify processing by users
- Handling of meteo data
 - cumbersome with RINEX MET format
 - and difficult to produce (combination of all satellites for a given day)

Interpolation errors







Ancillary data

Satellite attitude

- only nominal models for SPOT (no quaternion data)
- model with external inputs (SPA_SATATT) for TOPEX and Jason
 - quaternion data also available for Jason and TOPEX (more complex)
 - TOPEX SPA_SATATT updated by JPL on a regular basis
 - Jason SPA_SATATT updated by CNES on a regular basis, but requires analysis of quaternion data to refine transition dates

Ideal Data Format Guidelines

- True to the original measurements
 - keep all the information
- Independent from receiver type and version
 - minimize the number of formats
- Compatible with similar data formats
 - minimize user software developments
- Simple
 - easy to read, easy to use
- Storage efficient
 - minimize data storage requirements
- etc.

How well does the current format score ?

True to the original measurements

- not good: loss of the single frequency timing measurement (pseudo-range)
- improved with recent evolutions
 - in particular with the release of all edited data and the capacity to reconstruct raw
 2 GHz measurements
- Independent from receiver model
 - quite good given the evolutions in the technology of the system !
 - transition from integer cycle count to phase sampling, transition from single to multiple channels, introduction of beacons with shifted frequencies

Compatible with similar data formats

- good in reference with similar pre-existing systems (e.g. TRANET)
- but not very good with respect to GPS !
- Simple
 - easy to use, corrections included
- Small size

Conclusion

- The current format is holding fairly well given the complexity and the many recent changes to the system
 - it will be difficult to go much further with the current type of format
- The next step should be a transition to phase data
 - it would be in line with the evolution of the system and of orbit determination software
 - interpolation on the ground (or better, in the receivers) could make DORIS really GPS like
 - the price to pay is to abandon sequencing between beacons
 - reduction of the network coverage by single frequency instruments

