

DORIS

MODELLING OF DORIS 2GM AND CRYOSAT INSTRUMENTS

CNES - 18, avenue E. Belin 31401 Toulouse cedex 9 - Tel: 0561273131

INDEXING SHEET

CHANGES

Changes with respect to the previous version are indicated by a vertical line in the left-hand margin.

APPLICABLE DOCUMENTS AND REFERENCE DOCUMENTS

 $lssue : 4.5$ Date : **07/07/2009** Page : 3/36

Title : MODELLING OF DORIS 2GM AND CRYOSAT INSTRUMENTS

LIST OF TBC AND TBD

ABBREVIATIONS

Issue $:4.5$ Date $: 07/07/2009$ Page $:5/36$

Title : MODELLING OF DORIS 2GM AND CRYOSAT INSTRUMENTS

CONTENTS

ANNEX 1 : DEPLOYED CONFIGURATION OF THE JASON-1 SATELLITE **ANNEX 2: CRYOSAT SATELLITE REFERENCE FRAME**

1. SCOPE

This document lists the modelling parameters for DORIS 2GM DORIS/CRYOSAT instruments (beacons and onboard instruments) used for DORIS measurements ground processing.

It also proposes a '2GM/CRYOSAT measurements function'.

The model is based on a compilation of definition documents and test results listed in references as well as observations during operations.

NB: This document does not describe instrument performances.

2. APPLICABILITY

This document applies to the DORIS/JASON-1 and DORIS/SPOT5 projects in operation and to DORIS/CRYOSAT during its development and operation phases, particularly with respect to the ground segments which process data from these projects.

3. CONVENTIONS

The notations are defined below and indexed as follows:

Index 0: nominal values; the index is completed if necessary by the channel concerned (400 MHz or 2 GHz) when the values are different.

NOTATIONS

 T_{p3} , T_{e3} , τ_{e3} ditto T_p , T_e , τ_e but for the time-tagging bit

NB: T10, t10, Si, T3, TDi, RAZ and CTD are **events** which can be tagged in TAI or onboard time or other time scales.

Example: TAI (T3) or TOUS (T3) or TAC (TD_i).

4. DESCRIPTION OF MEASUREMENT TYPES

There are two types of measurements :

- Phase measurements (sections 4.1 and 4.2),
- • Pseudo-range measurements (described in RD 16) which are used to determine and control ground/onboard synchronisation.

4.1 PHASE MEASUREMENT PRINCIPLE

On the receiver, the instrument counts the number of cycles received in base band on the RF '400 MHz' and '2 GHz' channels, between two events, $E1 =$ beginning of counting, and $E2 =$ end of counting.

In the most general case, the receiver records the phase values according to the following time diagram:

In this case, the measurement (of the phase differences) N2 recorded for the Tdi sequence n is :

 \Rightarrow If the measurement **is not chained** to the previous measurement:

 $N2 = DELTA_{UNCHAINED}(n) = \phi_2(n) - \phi_1(n)$

In this case, E1 refers to the 'recording of the $\phi_1(n)$ phase" event, and E2 refers to the, 'recording of the $\phi_2(n)$ phase" event. The delay between E1 and E2, called the counting time, is exactly 7 TOUS seconds.

 \Rightarrow If the measurement **is chained** to the previous one:

 $N2 = DELTA_{CHAINFD}(n) = \phi_2(n) - \phi_2(n-1)$

In this case, E1 refers to the, 'recording of the $\phi_2(n-1)$ phase" event, and E2 refers to the T recording of phase $\phi_2(n)$ ' event. The delay between E1 and E2 is exactly 10 TOUS seconds.

In the specific case in which a time correction is triggered, the time diagram is slightly different:

As we can see, only the N2 measurement recorded during the Tdi n+1 sequence, has a different time diagram to the other measurements if this measurement **is chained** to the previous one:

 $N2 = DELTA_{chained}(n+1) = \phi_2(n+1) - \phi_2(n)$

Except that this time, the $\phi_2(n)$ phase was not recorded at the moment of the Tdi n+1 Time signal, but slightly before:

The time of the beginning of counting (in other words, the time of event E1) is 0 TOUS seconds **LESS the absolute value of the time correction**.

 The delay between E1 and E2 is exactly 10 TOUS seconds **PLUS the absolute value of the time correction**.

It should be noted that if the measurement is not chained to the previous one, the delay between E1 and E2 is exactly 7 TOUS seconds and the counting time is thus not affected by a time correction.

4.2 MODELLING OF THE DORIS 2GM PHASE MEASUREMENT

The following section describes the DORIS 2GM measuring phase (or integrated Doppler).

4.2.1 BACKGROUND INFORMATION ON TIME BASES

Time Bases (or BDT) refers to equipment (USO, OCXO, atomic clock, MASER, etc.) which provides a periodical reference signal, with frequency F(t) at time t, in TAI, whose nominal value is F_{nom} .

Let us consider two events E1 and E2 : their TAI times are written TAI(E1) and TAI(E2).

The frequencies are measured in 'TAI Hertz ' (the inverse unit for the TAI second).

4.2.1.1 DURATION EXPRESSED IN THE TIME BASE

One second in the time base is the time necessary for counting F_{nom} periods for the periodical reference signal.

The number of periods of the reference signal for the time base, counted between E1 and E2, divided by F_{nom} is referred to as the duration (in the time base BDT) between the events [E1,E2] in BDT seconds (written BDT(E1,E2)).

4.2.1.2 DURATION EXPRESSED IN TAI

The duration measured in international atomic time (TAI) between the two events E1 and E2 is written TAI(E1, E2). It is the number of seconds counted on a virtual reference signal representing the TAI time. We still have :

TAI(E1,E2)=TAI(E2)-TAI(E1)

4.2.1.3 RELATIONSHIP BETWEEN DURATION (TIME BASE) and DURATION (TAI)

The number of periods counted in the reference signal between E1 and E2 is by definition equal to:

 $\int F(t)dt$ TAI ($E2$) $TAI(E1)$

Let $\delta F(t) = F(t) - F_{\text{nom}}$

Then :
$$
BDT(E1, E2) = \int_{TAI(E1)}^{TAI(E2)} \frac{F(t)}{F_{nom}} dt = \int_{TAI(E1)}^{TAI(E2)} \frac{\delta F(t)}{F_{nom}} dt + (TAI(E2) - TAI(E1))
$$

Let $\frac{\delta F(E1,E2)}{E}$ *Fnom* be the mean value of $\delta F(t)/F_{\text{nom}}$ between E1 and E2, then (by definition of the

mean value):

$$
\frac{\overline{\delta F(E1,E2)}}{F_{nom}} = \frac{1}{(TAI(E2) - TAI(E1))} \int_{TAI(E1)}^{TAI(E2)} \frac{\delta F(t)}{F_{nom}} dt
$$
 [A]

This then gives the relationship between a BDT duration and a TAI duration:

$$
BDT(E1, E2) = TAI(E1, E2)*\left(1 + \frac{\overline{\delta F(E1, E2)}}{F_{nom}}\right)
$$
 [B]

4.2.1.4 NUMBER OF CYCLES

The frequency with which the count is performed, is generated by multiplying the reference frequency of the time base equipment by a multiplying coefficient K.

Let F_{theo} =K* F_{nom} (K is intentionally constant by construction).

$$
Ftrue(t)=K^*F(t)=\left(\frac{F_{theo}}{F_{nom}}\right)^*\left(\delta F(t)+F_{nom}\right)=F_{theo}*(1+\frac{\delta F(t)}{F_{nom}})
$$

The number of cycles generated between E1 and E2 is:

$$
NCY(E1,E2) = \int_{TAI(E1)}^{TAI(E2)} F_{true}(t)dt = F_{theo} * \int_{TAI(E1)}^{TAI(E2)} (1 + \frac{\delta F(t)}{F_{nom}})dt
$$

hence, following [A] :

$$
NCY(E1,E2) = F_{theo} * (TAI(E2) - TAI(E1)) * (1 + \frac{\overline{\delta F(E1,E2)}}{F_{nom}})
$$
 [C]

The average frequency between E1 and E2 is thus:

$$
\overline{F_{true}(t)} = \frac{NCY(E1, E2)}{TAI(E2) - TAI(E1)} = F_{theo} * (1 + \frac{\overline{\delta F(E1, E2)}}{F_{nom}})
$$

Comment : NCY(E1,E2) can be thus expressed directly in the time base by using [B] and [C]:

4.2.2 DORIS 2GM MEASUREMENT FUNCTION

To simplify the description, this section will not go into the distinction between the 400 MHz and 2 GHz channels. The following comments are valid for both measurement channels.

On each of the two measurement channels, the number of cycles (between two events $E1 =$ beginning of counting, and E2 = end of counting) are counted in baseband, in other words, on a signal whose instantaneous frequency is $f_r(t)$ - $K^*f_b(t)$, where :

- \Rightarrow f_r(t) is the true frequency received,
- \Rightarrow f_b(t) is the actual frequency of the onboard USO [with nominal value f_{b0} = 10 MHz]
- \Rightarrow The theoretical frequencies of the '400 MHz' and '2 GHz' RF channels are 401.25 MHz and 2036.25 MHz. As these are emitted by ground beacons, the frequencies received on each channel are affected by the Doppler effect related to the relative beacon/satellite motions.
- \Rightarrow K (f_b frequency multiplier giving the onboard reference frequency) has a different value according to the channel : $K_{400MHz} = 40.125$, $K_{2GHz} = 203.625$

The duration separating the moments E1 and E2 is perfectly known in TOUS time, in other words, according to the time base of the onboard USO. Thus, for the measurement taken in the Tdi sequence starting with the Tdi number k time signal,

- \Rightarrow TOUS(E1) = TOUS(Tdi-UC_k)+Dnc/c+Difference(BDT(UT)-BDT(UC))
- \Rightarrow TOUS(E2) = TOUS(E1)+TC

Where :

- \Rightarrow Difference(BDT(UT)-BDT(UC)) is measured by the instrument and transmitted in HK blocks (nominal value \approx 1.8 to 1.9 microseconds): in fact, several time bases coexist onboard, the UC time base and four time bases (UT1, 400 MHz), (UT1, 2 GHz), (UT2, 400 MHz), (UT2, 2 GHz) for which the onboard instruments measure the differences with respect to the UC time base.
- \Rightarrow Dnc/c (chained/unchained delay) is equal to:

3 TOUS seconds in unchained mode;

- 0 TOUS seconds in chained mode (or- $|\text{time correction}|$ if there is a time correction).
- \Rightarrow CT (counting time in TOUS) is equal to:

7 TOUS seconds in unchained mode;

10 TOUS seconds in chained mode (or $10+|\text{time correction}|$ if there is a time correction)

The number of cycles transmitted in the DORIS telemetry (N2 parameter) is the number of cycles counted between E1 and E2 on the frequency signal f_r(t)-K^{*f}_b(t).

N2 transmitted is a real number (not necessarily an integer which is the difference between the 1st and 2^{nd} generation DORIS receivers). The LSB (Less Significant Bit) of N2 is 1/1024 cycle = 2π/1024 radians.

Thus, for each of the two measuring channels, we have :

$$
N2 = \int_{TAI(E1)}^{TAI(E2)} [f_r(t) - K * f_b(t)]dt = \int_{TAI(E1)}^{TAI(E2)} f_r(t)dt - K * \int_{TAI(E1)}^{TAI(E2)} f_b(t)dt
$$
 [E]

4.2.2.1 FIRST TERM OF THE EQUATION [E]

Let $\Phi(E)$ be the phase received at the instant Ei (respectively $i = 1$ or 2 for the beginning and end of counting), on the frequency signal $f_r(t)$, for the channel in question.

We are introducing here the concept of an 'emission' event; we call 'Fi' the event corresponding to the emission from the beacon phase centre of the phase $\Phi(Ei)$ – whose arrival at the onboard counter becomes event Ei.

 T_{pi} is the duration measured in TAI, between the events Fi and Ei : T_{pi} = TAI(Fi,Ei). Tpi is referred to by the generic term of propagation time.

Since the number of cycles received onboard is equal to the number of cycles transmitted by the beacon, the first term is written as follows:

 $\int f_r(t)dt = \int f_e(t)dt = \int$ − − $= \int_{c}^{t} (t) dt =$ $(E2)-Tp2$ $(E1) - Tp1$ $(E2)$ $(E1)$ $(F2)$ $(F1)$ $(t)dt = \int_{e}^{t} (t)dt = \int_{e}^{t} (t)dt$ *TAI* $(E2)$ –*Tp* $TAI(E1)-Tp$ *e FAI* (*E* 2) $TAI(E1)$ *FTAI FTAI* $f_r(t)dt = \int f_e(t)dt = \int f_e(t)dt$

in which $f_e(t)$ is the frequency emitted by the beacon, on the channel in question, at the TAI time t.

The frequency emitted by the beacon is obtained by multiplying the frequency generated by the ground USO:

- \Rightarrow f_e(t)=H^{*f}_s(t) in which H is intentionally constant by construction,
- \Rightarrow f_s(t) is the real frequency of the ground USO [with nominal value f_{s0}=5 MHz].
- \Rightarrow H has a different value depending on the channel and depending on the value of the k factor of the beacon frequency offset (3G beacon only, see section 4.1 of DA2):

$$
H_{_{400\,MHz}} = 80.25 + \frac{107 \times 87 \, k}{5 \times 2^{26}} \qquad H_{_{2GHz}} = 407.25 + \frac{543 \times 87 \, k}{5 \times 2^{26}}
$$

This then gives:

 $\int f_r(t)dt = \int f_e(t)dt = H^*$ − − − − $= \int_{e}^{t} (t) dt =$ $(E2)-Tp2$ $(E1) - Tp1$ $(E2)-Tp2$ $(E1) - Tp1$ $(E2)$ $(E1)$ $(t)dt = \int_{e}^{t} (t)dt = H^{*} \int_{s}^{t} (t)dt$ TAI ^{$(E2)$} $TAI(E1)-Tp$ *s* TAI ^{$(E2)$} $TAI(E1)-Tp$ *e ETAI ETAI* $f_r(t)dt = \int f_e(t)dt = H^*$ $f_s(t)dt$

Using equation [C], we then get :

$$
\int_{TAI(E1)}^{TAI(E2)} f_r(t)dt = H^*[(TAI(E2) - Tp2) - (TAI(E1) - Tp1)] * f_{s0} * (1 + \frac{\overline{\delta f_s}}{f_{s0}})
$$
 [F]

using, $\overline{\delta f_s}$ (to simplify the notation) for the mean value of $f_s(t)$ - f_{s0} , between the events F1 and F2.

4.2.2.2 SECOND TERM OF THE EQUATION [E]

The second term of the equation [E] can be written using the expression [D]:

$$
K * \int_{TA}^{TA} f_b(t) dt = K * f_{b0} * TC
$$

Written in this way (in TOUS time), it only depends on the measuring channel (2 GHz/400 MHz) and on the mode (chained/unchained). In particular, it does not rely on the onboard USO actual frequency.

Actually, in order to continue the calculations, we will need to formulate the expression directly in TAI, in other words to use equation [C] :

$$
K * \int_{TAI(E1)}^{TAI(E2)} f_b(t)dt = K * (TAI(E2) - TAI(E1)) * f_{b0} * (1 + \frac{\overline{\delta f_b}}{f_{b0}})
$$
 [G]

4.2.2.3 THEORETICAL EXPRESSION OF N2 COUNTINGS

Using [E], [F] and [G], we then get:

$$
N2 = H * f_{s0} * (TAI (E2) - T_{p2} - TAI (E1) + T_{p1}) * (1 + \frac{\overline{\delta f_s}}{f_{s0}})
$$

- K * (TAI (E2) - TAI (E1)) * f_{b0} * (1 + \frac{\overline{\delta f_b}}{f_{b0}}) [H]

Comment: For a beacon which does not have a frequency offset (k=0), by writing $F_{\rm nom} = H \ast f_{\rm s0} = K \ast f_{\rm b0}$, we can isolate the term due to the Doppler effect :

$$
N2 = -F_{nom} * (T_{p2} - T_{p1}) * (1 + \frac{\overline{\delta f_s}}{f_{s0}}) + F_{nom} * TAI (E1, E2) * (\frac{\overline{\delta f_s}}{f_{s0}} - \frac{\overline{\delta f_b}}{f_{b0}})
$$

5. MODELS

Depending on the case, the delays are represented by a time or by a phase difference for the given frequency.

5.1 GROUND

The ground models are described in the DA1 document.

5.2 PROPAGATION (T_P)

Total propagation time $T_{pi} = T_{ei} + \tau_{eias} + \tau_{eiab}$

 τ_{eias} and τ_{eiab} include the combination of ground and onboard antenna phase laws which depend on the propagation direction in the corresponding antenna reference frames.

 T_{e} : propagation time between the 2 phase centres of the onboard and ground antennas :

 T_{e} i. = T_{qeo} + T_{iono} + T_{tropo}

The definition of ϕ and θ is given for the ground antenna in figure 4 in DA1. The azimuth ϕ and site θ phase laws for the ground antenna are used to evaluate $τ_{e i a s}$ and are described in section 5.1.2.3 of DA1.

The definition of ϕ and θ is given for the onboard antenna in secti[on 5.3](#page-1-1).3. The azimuth ϕ and elevation θ phase laws for the onboard antenna are used to evaluate $\tau_{\text{e,ia}}$ and are described in section 5.3.3.3 of this document.

5.3 ONBOARD INSTRUMENTS

5.3.1 ONBOARD USO FREQUENCY

The onboard USO frequency f_b is identical for both channels.

 f_{b0} = 10 MHz.

The real frequency of the onboard USO f_b evolves over time due to different parameters:

- \Rightarrow Ageing,
- \Rightarrow Thermal variations,
- \Rightarrow Magnetic variations,
- \Rightarrow Radiation.

Ö …

 f_b (current, voltage, thermal, magnetic, ageing, radiations, ...): model TBD

5.3.2 MVR INSTRUMENT (*MESUREUR DE VITESSE RADIALE***)**

5.3.2.1 Doppler measurements at 'central frequency'

When the 'Doppler frequency' at the MVR level is close to 0, it is difficult to determine the phase of the received signal due to strong perturbation. N2 phase increment measurements, for which the Doppler frequency is close to 0 during counting, have to be eliminated by the ground processing .

Criteria for elimination which are compatible with the Jason-1, SPOT5 and CRYOSAT orbits are :

In chained mode:

- The **mean** radial velocity of the measurement derived from the 400 MHz or 2 GHz measurement is taken to be between, **-310 m/sec and + 310 m/sec**
- or, the **mean** Doppler frequency of the measurement, is between **415 Hz and +415 Hz for the 400 MHz channel** or between **- 2105 Hz and +2105 Hz for the 2 GHz channel**
- or in terms of cycles, if the **number of cycles measured** is between **- 4150 cycles and+ 4150 cycles for the 400 MHz channel** or between **- 21050 cycles and+ 21050 cycles for the 2 GHz channel**

In unchained mode

- the mean radial velocity of the measurement derived from the 400 MHz or 2 GHz measurement is between **- 220 m/sec and + 220 m/sec**
- or the **mean** Doppler frequency of the measurement is between **295 Hz and+ 295 Hz for the 400 MHz channel** or between **- 1495 Hz and +1495 Hz for the 2 GHz channel**
- or in terms of cycles, if the **number of cycles measured** is **between 2065 cycles and + 2065 cycles for the 400 MHz channel** or between **- 10465 cycles and + 10465 cycles for the 2 GHz channel**

5.3.2.2 Invalidation of uncompleted received measurements

For strongly time-shifted beacons (and/or for beacons in restart mode RS=1), the Tdi pulse of the 'next' sequence may occur during reception of the modulation.

- When this pulse occurs during the reception of the synchronisation word ("0A6F"H), the on-board software invalidates the IT3 measurement.
- In every other case (Tdi pulse during the reception of the beacon message, or during the reception of the two ICCE words (Error Correcting Code)), the IT3 measurement is performed and the onboard software does not invalidate it : since the message will be uncomplete, this kind of measurement should be invalidated by the ground segment.

Thus it is recommanded to invalidate the measurements when :

IT3 > 6.5 sec (if the IT3 measurement is done on the 400 MHz channel),

> 6.2 sec (if it is done on the 2 GHz channel)

5.3.2.3 Onboard Doppler transit time

 $\varepsilon_{\rm fr}$ = 0, no model available

 τ_{m1} and τ_{m2} (respectively at the beginning of counting and the end of counting) are equal to a common value τ_m , given in the following table:

5.3.2.4 Onboard transit time for the time-tagging bit

In theory, τ_{m3} is a function of the Doppler shift, of the level received and of the temperature of the MVR. In practice, only the first effect is to be taken into account. The other two effects are measured by the manufacturer and are sufficiently low to be neglected.

We thus apply the following simplified formula:

$$
\tau_{m3}=\tau_{m3_0}+\alpha\star(\text{Fd-DF})/\text{F0}
$$

in which :

 τ_{m30} , the vaccuum transit time, at f₀, at the reference reception level (- 113 dBm), at 20°C, is a constant given in the following table,

 $Fd = \Delta \Phi$ / TC where TC is the counting time in on-board time

F0 : théoretical central frequency on the considered channel

DF : beacon frequency shift on the considered channel

NB:

At the central frequency (null Doppler) an aberrant time-tagging (with an error of a few tens of microseconds) may occur.

The sensitivity to the Doppler shift has been stated in DR15.

5.3.3 ONBOARD ANTENNAS

Z is the onboard geocentric-centripetal axis.

Figure 2 : Antenna reference frame (O = phase centre)

The site and θ_{onboard} angles are linked by the following formula:

$$
\theta on board = Arc \sin \left(R \frac{\cos(Site)}{(R+h)}\right)
$$

in which $R =$ earth radius = 6378 (km)

 $h =$ satellite altitude(km)

5.3.3.1 Geometry of onboard antennas

 Figure 3

5.3.3.2 Gains (dBi)

5.3.3.3 Phase laws

Azimuth phase law (written $\phi_{\text{onboard}})$:

 $ψ$ ($φ$ _{onboard}) = cte - $φ$ _{onboard}. $± ε$, in which ε is given by the following table:

Site phase law (written θ_{onboard}):

 $ψ(θ_{onboard})$ = cte $± ε$, in which ε is given by the following table:

5.3.4 LOSSES DUE TO ONBOARD CABLES

These are cables linking the antenna to the MVR. They are given in Db.

5.3.5 PLATFORM GEOMETRY

The mass and position of the centre of gravity may evolve during orbit life. These parameters have to be monitored during operations. Given their slow evolution, it is sufficient to record the values after each big manœuvre.

In-orbit thermal cycling creates a sinusoidal phase variation which mainly affects the multiplication chain. This effect has an impact on the Doppler measurement similar to the USO thermal cycling effect (cf. § 5.3.1) but remains less significant than the latter.

The two local orbital reference frames currently used are called P, R, Y (Pitch, Roll, Yaw), and R, N, T (Radial, Tangential, Normal). The correspondence is as follows :

Pitch [= - N](#page-14-5)ormal, Roll = Tangential, $Yaw = Radial$.

5.3.5.1

SPOT5 Satellite

Plans of the platform and the reference frame are given in **ANNEX 1**.

- C : satellite centre of gravity
- B : DORIS antenna reference point
- P : satellite mounting plane centre

NB:

(1) This value evolves over time

(2) Value at beginning of life.

(3) Value after station positioning and MCC 1st station keeping manoeuver in mid-September 2002.

The components of vector from the Centre of Gravity to the 2 GHz phase centre in the platform reference frame are thus (approximately) :

With:

 $X(m) = xB(m) - xC(m)$ $Y(m) = yB(m) - yC(m)$ $Z(m) = zB(m) - zC(m) - h_{2 \text{ GHz}}(m)$

The nominal attitude is geocentric. The pitch–axis is - X, the roll–axis is - Y, the yaw axis is + Z. The satellite is driven by a yaw movement whose law is described in DR12.

When all angles (pitch, roll, yaw) are null, the transition matrix for switching from the platform reference frame to the local reference frame P, R, Y is thus:

Satellite surfaces:

5.3.5.2 JASON-1 Satellite

The description of the platform reference frame is given in **ANNEX 1**.

(1) This value evolves over time

The components of the vector from the Centre of Gravity to the 2 GHz phase centre in the platform reference frame are thus (approximately) :

The satellite's attitude is complex (yaw steering, nadir pointing, fixed law phases). It is defined in the DR11 document, section. 5.

The roll axis is $+ X$, the pitch axis is $+ Y$ and the yaw axis is $+ Z$.

The transition matrix for switching from the platform reference frame to the local reference frame P, R, Y is thus:

$$
\begin{pmatrix} X_{ol} \\ Y_{ol} \\ Z_{ol} \end{pmatrix} = \begin{pmatrix} 0.0 & 1.0 & 0.0 \\ 1.0 & 0.0 & 0.0 \\ 0.0 & 0.0 & -1.0 \end{pmatrix} \begin{pmatrix} X_{pf} \\ Y_{pf} \\ Z_{pf} \end{pmatrix}
$$

Satellite surfaces:

5.3.5.3 CRYOSAT Satellite

The description of the platform reference frame is given in **ANNEX 2**.

NB:

(1) This value evolves over time

(2) Value before launch

The antenna axis vector has the following components in the platform reference frame :

$$
\vec{u} = \overrightarrow{DORIS(400MHz)} \quad \overrightarrow{DORIS(2GHz)} = \begin{bmatrix} 16.9 \text{ mm} \\ 0.0 \text{ mm} \\ -161.1 \text{ mm} \end{bmatrix}
$$

(the antenna is tilted of 6° w.r.t. the platform reference frame, see DR 14))

Note that calculated *NORM* (\overrightarrow{u}) = 162 mm.

The components of the vector from the Centre of Gravity to the 2 GHz phase centre in the platform reference frame are given in DR14 :

The coordinates of B are then calculated :

The nominal satellite attitude is practically geocentric with an offset of 6 degrees in pitch (see DR14). The roll axis is close to $+X$, the pitch axis is $+Y$, the yaw access is close to $+Z$.

When all of the angles (pitch, roll, yaw) are null, the transition matrix for switching from the platform [refere](#page-2-0)nce frame to the local orbital reference frame P, R, Y is thus close to:

Satellite surfaces:

- $\perp \overline{X}$ side : 2.577 m^2
- $\perp \vec{Y}$ side : 5.428 m^2
- \perp Z side : 9.012 m^2
- Solar arrays : $(0.0 \, \text{m}^2)$ (on Cryosat Solar array is included in Space Craft body)

ANNEX 1 : DEPLOYED CONFIGURATION OF JASON-1 SATELLITE

ANNEX 2 : CRYOSAT SATELLITE REFERENCE FRAME

(see DR14 for more details)

A view of the CryoSat satellite, indicating the satellite reference frame is provided in Figure 2.1-1. The satellite flies in a "nose-down" attitude, inclined at 6° to the positive xaxis. The nadir direction is inclined 6° from the negative z-axis.

The origin of the satellite reference frame is at the centre of the satellite mounting plane on the launch vehicle.

There are no moving parts.

Figure $2.1 - 1$ The CryoSat satellite, shown without the thermal control material which will be used to wrap the large antennas and their support structure. The satellite reference frame is shown as well as the directions of flight and nadir. Note that for the z-axis the negative axis is shown in order to show the offset of the nadir direction.

ANNEX 3 : SPOT5 SATELLITE REFERENCE FRAME AND PLANS

DISTRIBUTION

CNES Distribution:

External Distribution :

* sous/couvert configuration SALP